

Matrix

June 11, 2024

Nested Lists

```
NestedList = [[3,2,1], [3], 3, "string", "python"]
```

```
print(NestedList)
```

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```

```
print(NestedList)
```

```
Output: [[3,2,1], [3], 3, 'string', 'python']
```

Accessing in Nested Lists

```
NestedList = [[3,2,1], [3], 3, "string", "python"]
```

```
print(NestedList[0])
```

```
print(NestedList[0][2])
```

Accessing in Nested Lists

```
NestedList = [[3,2,1], [3], 3, "string", "python"]
```

```
print(NestedList[0])
```

```
print(NestedList[0][2])
```

Matrix as a Nested List

Matrix = [[2, -5, 3],[0, 7, -2],[-1, 4, 1]]

$$A = \begin{bmatrix} 2 & -5 & 3 \\ 0 & 7 & -2 \\ -1 & 4 & 1 \end{bmatrix}$$

Inputting Matrix from user

```
R = int(input("Enter the number of rows:"))
```

```
C = int(input("Enter the number of columns:"))
```

```
matrix = [ ]
```

```
print("Enter the entries rowwise:")
```

Inputting Matrix from user

```
for i in range(R):  
    a = []  
    for j in range(C):  
        a.append(int(input()))  
    matrix.append(a)
```


Printing the inputted matrix

```
for i in range(R):  
    for j in range(C):  
        print(matrix[i][j], end = " ")  
    print()
```

MATRIX OPERATIONS

Python program to execute basic operations of two matrix.

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Python program to execute basic operations of two matrix.

```
A = [[1,2],[4,5]]
```

```
B = [[7,8],[9,10]]
```

```
rows = len(A)
```

```
cols = len(A[0])
```

```
C = [[0 for i in range(cols)] for j in range(rows)]  
    for i in range(rows):  
        for j in range(cols):  
            C[i][j] = A[i][j] + B[i][j]  
print("Addition of matrices: ", C)
```

Continued...

```
D = [[0 for i in range(cols)] for j in range(rows)]
```

```
    for i in range(rows):
```

```
        for j in range(cols):
```

```
            D[i][j] = A[i][j] - B[i][j]
```

```
print("Subtraction of matrices: ", D)
```

```
E = [[0 for i in range(cols)] for j in range(rows)]
```

```
    for i in range(rows):
```

```
        for j in range(cols):
```

```
             $E[i][j] = A[i][j] / B[i][j]$ 
```

```
print("Division of matrices: ", E)
```

Idempotent

A square matrix A is called an Idempotent matrix iff $A^2 = A$

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Python Program to check whether the user-entered matrix is Idempotent matrix.

Two subproblems: 1. Matrix Multiplication. 2. Checking Equality of two matrices 3. Combine both of them to check the whether the matrix is idempotent.

Checking Equality

```
def AreSame(A,B):  
    for i in range(N):  
        for j in range(N):  
            if (A[i][j] != B[i][j]):  
                return 0  
    return 1
```

```
A= [ [1, 1, 1, 1], [2, 2, 2, 2], [3, 3, 3, 3], [4, 5, 4, 5]]
```

```
B= [ [1, 1, 1, 1], [2, 2, 2, 2], [3, 3, 3, 3], [4, 5, 4, 5]]
```

```
if (AreSame(A, B)==1):
```

```
    print("Matrices are identical")
```

```
else:
```

```
    print("Matrices are not identical")
```

Python Program to compute the product of two compatible matrices.

Python Program to compute the product of two compatible matrices.

```
X = [[12,7,3],[4 ,5,6],[7 ,8,9]]
```

```
Y = [[5,8,1,2],[6,7,3,0],[4,5,9,1]]
```

```
result = [[0,0,0,0], [0,0,0,0],[0,0,0,0]]
```

```
for i in range(len(X)):
```

```
    for j in range(len(Y[0]))
```

```
        for k in range(len(Y)):
```

```
            result[i][j] += X[i][k] * Y[k][j]
```

```
for r in result:
```

```
    print(r)
```

Transpose of a Matrix

Python program to find transpose of a square matrix

Transpose of a Matrix

Python program to find transpose of a square matrix $X = \begin{bmatrix} 12 & 7 \\ 4 & 5 \\ 3 & 8 \end{bmatrix}$

```
result = [[0,0,0],[0,0,0]]
```

```
for i in range(len(X)):
```

```
    for j in range(len(X[0])):
```

```
        result[j][i] = X[i][j]
```

```
for r in result:
```

```
    print(r)
```


A square matrix A is called Stochastic Matrix, if all the entries are positive real numbers (0 included) and the sum of each row is 1.

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Python Program to check if the user-entered matrix is a Stochastic Matrix. Assume that the input is promised to have positive real entries.

Stochastic Matrix

```
A = [[0, 0.5, 0.5], [0.2, 0.3, 0.5], [1, 0, 0]]
```

```
list=[ ]
```

```
var = 0
```

```
sum=0
```

```
for i in range(3):
```

```
    for j in range(3):
```

```
        sum = sum + A[i][j]
```

```
    list.append(sum)
```

```
    sum=0
```

```
for i in range(len(list)):
    if list[i]==1:
        var=var+1
if var == 3:
    print("The matrix is Stochastic Matrix")
```

Hadamard Product of two matrices

The Hadamard product is a binary operation that takes in two matrices of the same dimensions and returns a matrix of the multiplied corresponding elements.

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Python Program to compute Hadamard Product of two matrices.

Hadamard Product of two matrices

```
D = [[0 for i in range(cols)] for j in range(rows)]
```

```
    for i in range(rows):
```

```
        for j in range(cols):
```

```
            D[i][j] = A[i][j] * B[i][j]
```

```
print("Hadamard Product of matrices: ", D)
```

Magic Squares

A magic square is a SQUARE shaped arrangement of numbers such that the sum of each row, sum of each column and sum of both the diagonals is constant.

Magic Square

9	2	7
4	6	8
5	10	3

$$9 + 2 + 7 = 18$$

$$4 + 6 + 8 = 18$$

$$5 + 10 + 3 = 18$$

$$7 + 6 + 5 = 18$$

$$9 + 6 + 3 = 18$$

9	2	7
+	+	+
4	6	8
+	+	+
5	1	3
=	0	=
18	=	18
	18	

Magic Square

Python program to check whether the user-entered square matrix is a magic square.

Nilpotent

In linear algebra, a nilpotent matrix is a square matrix N such that

$$N^k = 0$$

for some positive integer

k

.

Python program to calculate the constant k for a given nilpotent matrix. Note that the input is promised to be a nilpotent matrix.

Symmetric Matrix

Python Program to check whether the user-entered square matrix is symmetric matrix.

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Recall a square matrix A is symmetric iff A is equal to its transpose.

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STEPS: Compute the transpose and check the equality.

Anti-Symmetric

Python Program to check whether the user-entered square matrix is skew-symmetric matrix.

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Python Program to check whether the user-entered square matrix is skew-symmetric matrix.

Recall a square matrix A is Anti-symmetric iff $-A$ is equal to its transpose.

Anti-Symmetric

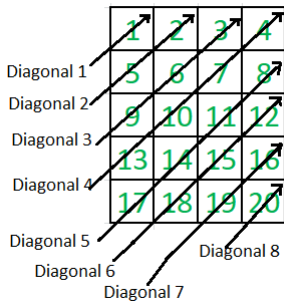
Python Program to check whether the user-entered square matrix is skew-symmetric matrix.

Recall a square matrix A is Anti-symmetric iff $-A$ is equal to its transpose.

STEPS: Compute the transpose and check the equality

Traversal

Python Program to print a user-entered square matrix in the way



described in the adjoining image.

Orthogonal and Involuntary Matrices

Python program to check if the user-entered matrix is Orthogonal.
A square matrix A is orthogonal iff $A \times A^T = I$.

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Python Program to check if the user-entered matrix is Involuntary.
A square matrix A is involuntary iff $A \times A = I$

Orthogonal and Involuntary Matrices

Python program to check if the user-entered matrix is Orthogonal.
A square matrix A is orthogonal iff $A \times A^T = I$.

Python Program to check if the user-entered matrix is Involuntary.
A square matrix A is involuntary iff $A \times A = I$

